Data Types, Memory

Data Types

- Values held in machine locations
- Integers, reals, characters, Booleans are built into languages as primitive types
 - Machine location directly contains the value
 - Efficiently implemented, likely understood by the instruction set
- Others built on top of them : structured types
 - Laid out in sequence of locations in the machine
 - Arrays, records, pointers.
 - Hopefully can be treated as first class citizens
 - A first class citizen can be passed as a parameter, returned from a subroutine, or assigned into a variable.

Data Types

- What are types good for?
 - implicit context
 - checking make sure that certain meaningless operations do not occur
 - type checking cannot prevent all meaningless operations
 - It catches enough of them to be useful
- Polymorphism results when the compiler finds that it doesn't need to know certain things

Data Types

- STRONG TYPING has become a popular buzzword
 - like *structured programming*
 - informally, it means that the language prevents you from applying an operation to data on which it is not appropriate
- STATIC TYPING means that the compiler can do all the checking at compile time

- Examples
 - Common Lisp is strongly typed, but not statically typed
 - -Ada is statically typed
 - Pascal is almost statically typed
 - Java is strongly typed, with a non-trivial mix of things that can be checked statically and things that have to be checked dynamically

- Common terms:
 - discrete types countable
 - integer
 - boolean
 - char
 - enumeration
 - subrange
 - Scalar types one-dimensional
 - discrete
 - real

- Composite or structured types:
 - records (unions)
 - arrays
 - strings
 - sets
 - pointers
 - lists
 - files

Variant Records and Unions

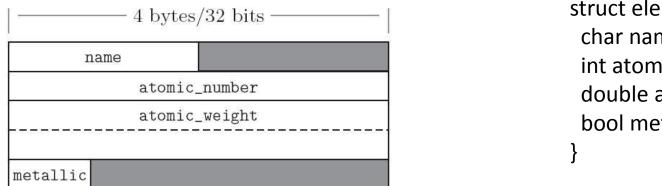
- Back when memory was scarce...
 - Variant records allowed two or more different fields to share the same block of memory
 - Called Variant in Pascal, Union in C

Union myUnion u;

u.i accesses storage as Integer u.f accesses storage as float How might we do something in Java that allows accesses to a value that might be of different types?

Records (Structures)

• Memory layout and its impact (structures)



struct element {
 char name[2];
 int atomic_number;
 double atomic_weight;
 bool metallic;
}

Figure 7.1: Likely layout in memory for objects of type element on a 32-bit machine. Alignment restrictions lead to the shaded "holes."

- ORTHOGONALITY is a useful goal in the design of a language, particularly its type system
 - A collection of features is orthogonal if there are no restrictions on the ways in which the features can be combined (analogy to vectors)
- For example
 - Pascal is more orthogonal than Fortran, (because it allows arrays of anything, for instance), but it does not permit variant records as arbitrary fields of other records (for instance)
- Orthogonality is nice primarily because it makes a language easy to understand, easy to use, and easy to reason about

- A TYPE SYSTEM has rules for
 - type equivalence (when are the types of two values the same?)
 - type compatibility (when can a value of type A be used in a context that expects type B?)
 - type inference (what is the type of an expression, given the types of the operands?)
- Type compatibility / type equivalence
 - Compatibility is the more useful concept, because it tells you what you can DO
 - The terms are often (incorrectly, but we do it too) used interchangeably.

Type Equivalence

 Sometimes we need to know when two types are equivalent, but this can be trickier than it sounds

```
struct complex {
    float re, im;
};
struct polar {
    float x, y;
};
struct {
    float re, im;
} a, b;
struct complex c, d;
struct polar e;
int f[5], g[10];
// which are equivalent types?
```

- Two major approaches: structural equivalence and name equivalence
 - Name Equivalence
 - Two types are the same if they have the same name
 - Structural Equivalence
 - Two types are the same if they have the same structure
 - Structural equivalence depends on simple comparison of type descriptions substitute out all names
 - expand all the way to built-in types
 - Name equivalence is more fashionable these days

- Coercion
 - When an expression of one type is used in a context where a different type is expected, one normally gets a type error
 - But what about

var a : integer; b, c : real; ... c := a + b;

- Coercion
 - Many languages allow things like this, and COERCE an expression to be of the proper type
 - Coercion can be based just on types of operands, or can take into account expected type from surrounding context as well
 - Fortran has lots of coercion, all based on operand type

- C has lots of coercion, too, but with simpler rules:
 - all floats in expressions become doubles
 - short int and char become int in expressions
 - if necessary, precision is removed when assigning into LHS
- In effect, coercion rules are a relaxation of type checking
 - Recent thought is that this is probably a bad idea
 - Languages such as Modula-2 and Ada do not permit coercions
 - C++, however, goes hog-wild with them
 - They're one of the hardest parts of the language to understand

Functions as Types

- Some languages allow functions to behave as "first class citizens"
 - Function can be treated like a data type or variable
 - Can pass a function as an argument
- Pascal example:
 - function newton(a, b: real; function f: real): real;
 - Know that f returns a real value, but the arguments to f are unspecified.

Java Example

```
public interface RootSolvable {
    double valueAt(double x);
}
public class MySolver implements RootSolvable
{
    double valueAt(double x)
                                                      mysolver = new MySolver();
                                                      z = Newton(a,b,mysolver);
}
public double Newton(double a, double b, RootSolvable f)
{
                                                            Not a true first-class citizen
          ...
         val = f.valueAt(x);
                                                            since a function can't be
                                                            constructed and returned
          ...
                                                            by another function
```

- A sequence of elements of the **same** type stored consecutively in memory
- Element can be accesses quickly [O(1)]
- Accessed via indexing
 - $A[i]: i \rightarrow index$
- Index is often an integer but does not have to be
 - Must be efficiently computed
 - Here we are not including "associative" arrays that are really more like hash tables
- When is array bound computed?
- When is the space for the array allocated?
- Where is the space for the array allocated?
 - Java: from the Heap

Array Initialization

- Should the values in an array be preinitialized?
 - Java initializes all values to 0 or null
 - C/C++ do no initialization, array contains whatever values happen to be sitting in memory
- Issue of efficiency

Arrays in Pascal

- May have any range of indices array [21-30] of real
- May have non integer indexes

array [(Mon, Tue, Wed, Thu, Fri)] of integer; array [char] of token; type token = (plus, minus, times, divide, number, lparen, rparen, semi);

- These non-integer values really map to integer values internally for efficiency purposes
 - E.g. Mon=0,Tue=1, Wed=2, etc.

- Should array *type* include bounds?
- Pascal did and it causes some problems
 typeof(A[10]) ≠ typeof(A[100])
- Function arguments with arrays are problematic
 - Sort function with an array size of size 10 can't take array of size 9
 - Instead must pass array bounds as parameters

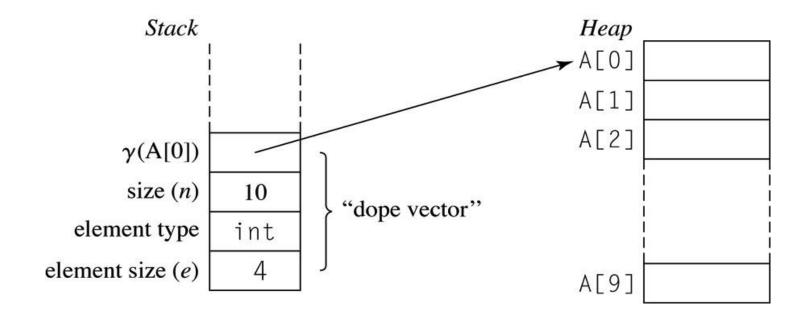
Arrays Layout

- Determines the machine address of the i'th element relative to the address of the first element
- Different from allocation

- Reserve actual machine memory for the array

• The elements of the array appear in consecutive locations

Layout(C/Java-Like Language)

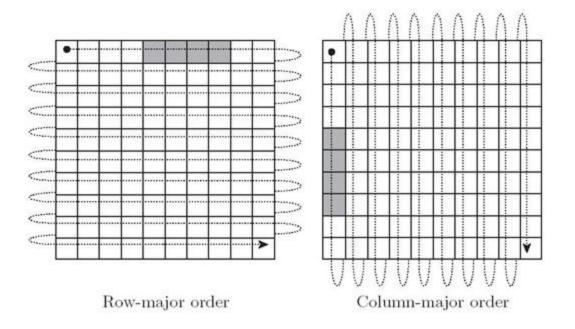


int[] A = new int[10]; γ(A[i]) = γ(A[0])+e*i 0 <= i < n e=element size, i=index

Strongly typed language requires checking type in dope vector

- var A : array [low .. high] of T
- base
 - Starting address of the first element A[low]
- width
 - size of an element of type T
- The elements are stored at
 - base, base+width, base + 2*width ….
- Address of A[i] computed in 2 parts
 - Compile time : offset from base
 - Run time : location of base

- Address of A[i]
 - = base +(i-low)*width
 - = i*width + (base-low*width)
- (base-low*width) may be precomputed and stored
 - This is generally the value associated with an array variable
- i*width : must be computed at runtime
- If low = 0
 - Address of A[i] = i*width + base
- Time to compute the address is independent of i
 So we get O(1) or constant access time



Row- and column-major memory layout for two-dimensional arrays.

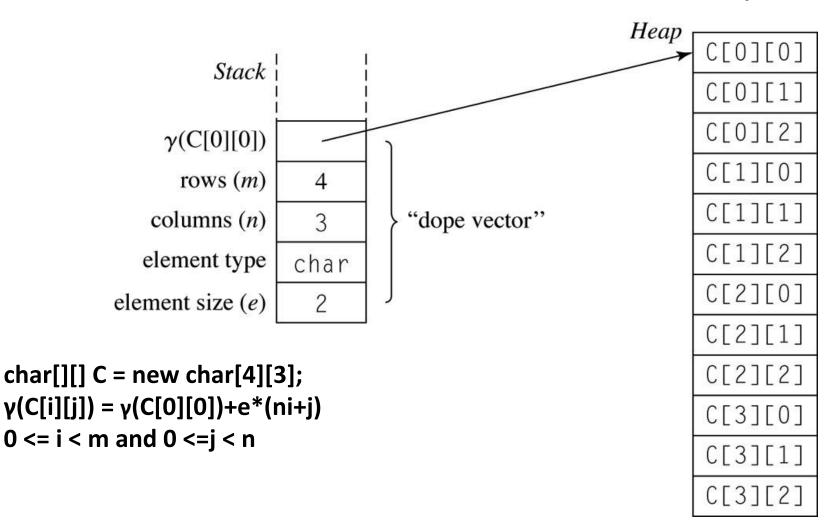
In row-major order, the elements of a row are contiguous in memory; in column-major order, the elements of a column are contiguous. The second cache line of each array is shaded, on the assumption that each element is an eight-byte floating-point number, that cache lines are 32 bytes long (a common size), and that the array begins at a cache line boundary. If the array is indexed from A[0,0] to A[9,0], then in the row-major case elements A[0,4] through A[0,7] share a cache line; in the column-major case elements A[4,0] through A[7,0] share a cache line.

Multidimensional Arrays

- Common in all languages
 - C : A[200][200]
- Allocated in linear fashion
- Row major
 - Store by rows: row 1, row 2, row 3,
- Column major
 - Store by columns

Multidimensional Arrays Layout(C/Java-Like)

Row major order



Multidimensional Arrays

(j-low2)

b

b+1

b+3 | b+4 |

b+2

b+5

b+8

(i-low1)

Address of M[i][j]

 $base + (i \cdot low_1)^* w_1 + (j \cdot low_2)^* w_2$ $-w_1 : \text{ width of a row } = w_2^* n_2$ $-w_2 : \text{ width of an element}$ $-n_1 : \text{ number of elements in a column}$ $-n_2 : \text{ number of elements in a row } = high_2 \cdot low_2 + 1$

- Fixed part : $base low_1 * w_1 low_2 * w_2$
- Variable part : $i^*w_1 + j^*w_2$

Multi-D Arrays(Java)

 Java actually stores only 1D arrays; multi-dimensional arrays are references to other arrays int[][] nums = new int[4][3];

Strings

- Strings are typically just arrays of characters
- They are often special-cased, to give them flexibility (like polymorphism or dynamic sizing) that is not available for arrays in general
 - It's easier to provide these things for strings than for arrays in general because strings are onedimensional and (more important) non-circular

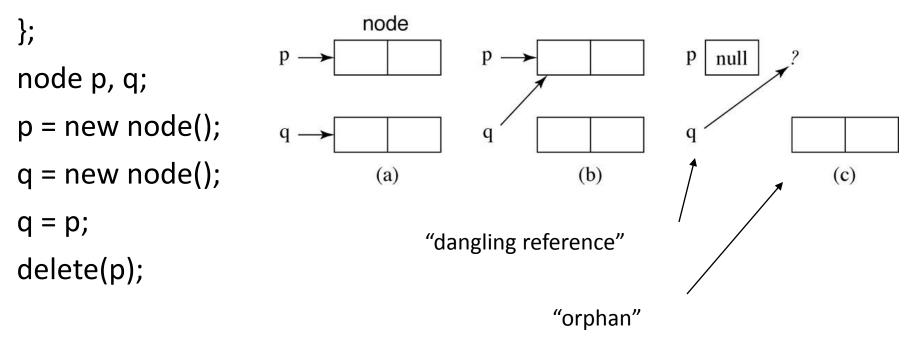
Dangling Pointers

- Structures or Classes are often used as nodes within dynamic data structures, such as linked lists
- Raises the possibility of the **dangling pointer**
 - A pointer to storage used for another purpose and the storage is subsequently deallocated
- Garbage
 - Allocated but inaccessible memory locations
- Programs that create garbage are said to have memory leaks

Dangling Pointer Example

class node {

int value, node next



Memory Leak Terms

- Dangling reference/Widow
 - A pointer to storage used for another purpose and the storage is subsequently deallocated
- Garbage/Orphan
 - Allocated but inaccessible memory locations
- Programs that create garbage are said to have memory leaks

Avoiding Garbage

- Many languages ask the programmer to explicitly manage the heap, where memory is allocated
 - Č, C++,...
 - User must make sure to destroy everything that is allocated
 - Memory management is generally not central to the problem the programmer is trying to solve
 - What if something is missed? Easy to do...

```
void foo()
{
    p = new node();
    if (b) return;
    delete(p);
}
```

- Interpreted and functional languages generally do automatic garbage collection
 - Java, C#, Lisp,...

• Motivation from functional programming

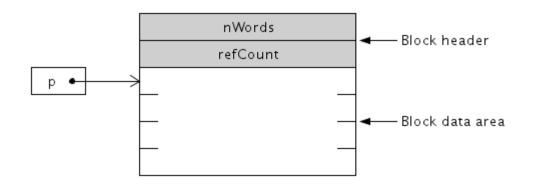
Increased importance due to OOP

How do we reduce/eliminate the burden of memory management from the programmer?

Garbage Collection Algorithms

- Reference counting
- Mark-Sweep
- Copy collection
- In Java
 - The garbage collector runs as a low-priority thread. It is automatic but it can be explicitly called by: System.gc() (regardless of the state of the heap at the time of the call).

- Free List
 - Heap is a continuous chain of nodes called the free list
 - Implemented various ways, we'll skip implementation
 - Each node has an extra field to keep a count as well as a field to keep track of the node size
- Reference Count
 - Number of pointers referencing that node
 - Initially set to 0

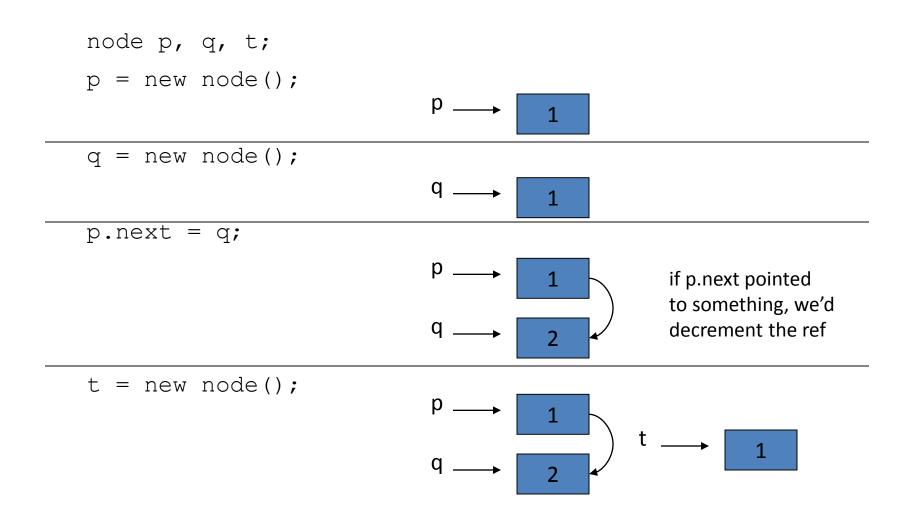


- Node creation via new()
 - Get nodes from the free list
 - Set reference count to 1
- Pointer Assignment
 - e.g. p=q;
 - Increment the reference count of q by 1
 - Decrement the reference count of p by 1
 - If zero, nothing references p so it is safe to delete
 - must also decrement reference count for any pointer in p's data area by one. If one of these counts becomes zero, repeat for it's descendants
 - Destroy p
 - Then perform the assignment

- Pointer Deletion
 - e.g. delete p;
 - Decrement p's reference count
 If refcount == 0
 - For every pointer q in p's data area
 - delete q
 - Put p on the free list
 - Set p to null

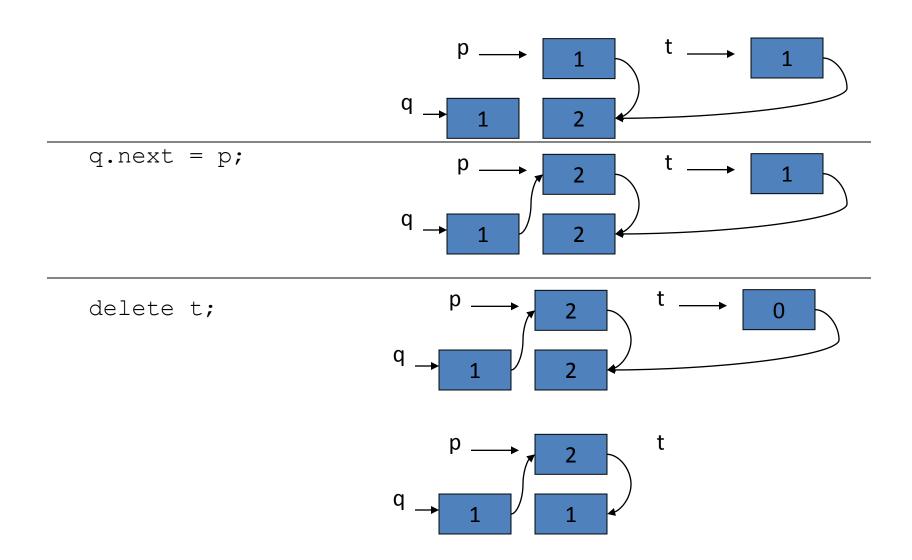
- The algorithm is activated dynamically on
 - **—** new
 - **—** Delete
 - assignment
- Advantages
 - Very simple, fast, non-compacting garbage collection
 - Heap maintenance spread throughout program execution (instead of suspending the program when the garbage collector runs)
 - Must not forget to adjust reference counts on any pointer assignment (including passing pointers as subroutine arguments), or disaster can happen

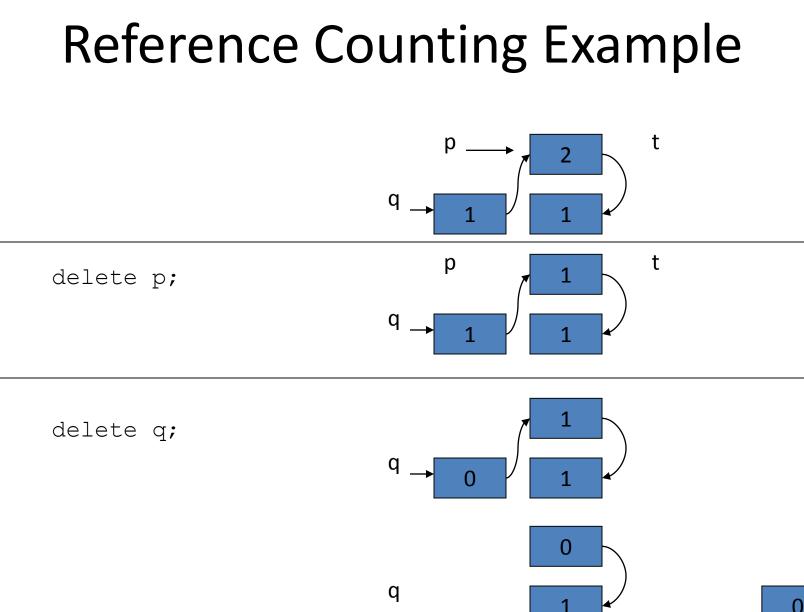
Reference Counting Example

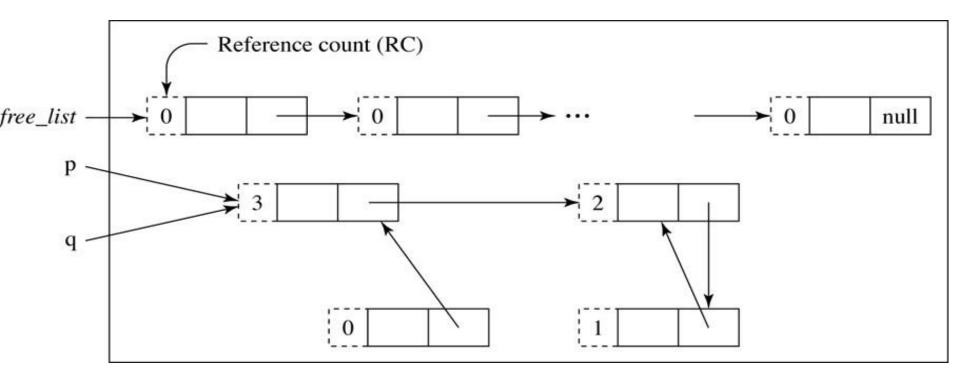


Reference Counting Example р 1 t 1 q 2 t.next = q;t р 1 1 q 3 delete q; t р 1 q 2 q = new node();t р 1 1 q 2

Reference Counting Example

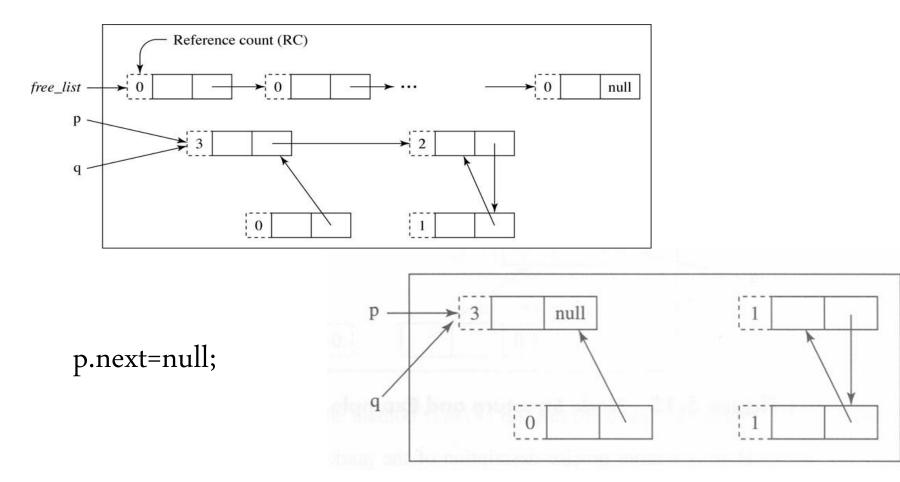






Reference Counting

- Minor Problem Storage overhead for reference count
- Major Problem Can't handle circular chains of nodes



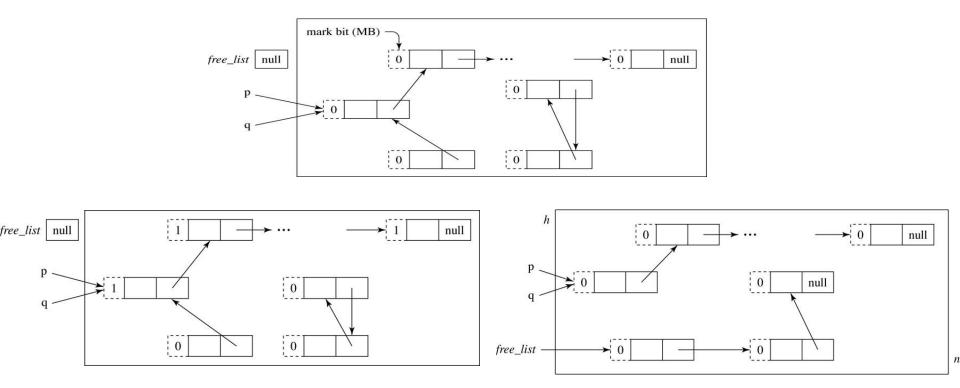
Mark-Sweep

- Unlike reference counting, called when the heap becomes full
 - i.e. free list becomes empty
- Orphans are reassigned to the free list
 - Possibly large number of nodes
 - May be time consuming
 - Advantage over reference counting is it reclaims all garbage, even those in circular chains
- 2 Pass algorithm
 - -1^{st} pass: Mark all the nodes if they are accessible
 - 2nd pass: Reassign the orphans

Mark-Sweep

- Mark Phase
 - Start with the active variables
 - Follow the links and "mark" the nodes that can be accessed
 - All unmarked nodes are orphans
- Sweep Phase
 - Follow all nodes in the heap
 - If the node is unmarked return to free list
 - Unmark all nodes that were not returned

Garbage Collection Mark-Sweep



After Mark Phase

After Sweep Phase

Online Demo

- Heap of Fish
- http://www.artima.com/insidejvm/applets/HeapOfFish.html

Mark-Sweep

Advantages

- Not invoked unless needed
 - Small programs don't need it
 - Typically perform a large number of new/delete before this is needed
- Reclaims all garbage
 - No problem with circular chains
- Reduced memory overhead
 - Integer vs. a bit
- Disadvantages
 - Time consuming when used
 - 2 pass algorithm

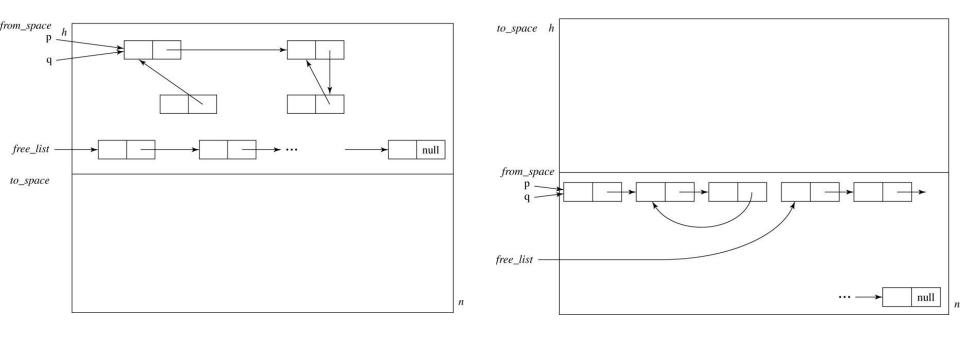
Copy Collection aka Stop and Copy

- Time-space compromise compared to Mark-Sweep
- Also invoked only when heap becomes full
- Significantly faster than Mark-Sweep
 - Only 1 pass over the heap
 - But heap size is effectively reduced by half
 - i.e. copy collection uses a lot more memory, (but this is not as bad as it sounds if using virtual memory, can still have data in all available physical memory)

Garbage Collection Copy Collection

- Divide the heap into two equal halves
 - *from_space*: All active nodes are kept here.
 - to_space: Used as a copy buffer
 - When the *from_space* becomes full
 - All accessible nodes are copied into to_space
 - The descendents are copied as well
 - Copying to the to_space called *Forwarding*
 - Everything in the *from_space* is then added to the free list
 - Swap the roles of *from_space* and *to_space*
 - Eliminates the inaccessible nodes
 - Skipping some details here of allocating nodes from the free list of the to_space

Garbage Collection Copy Collection



Initial Heap Organization

After Copy Collection Activation

Efficiency of Copy Collection vs. Mark Sweep

- M = heap size
- R = amount of live memory
- r = R/M is the residency
- m = amount of memory reclaimed
- t = time needed for reclaiming memory
- e =m/t is the efficiency of garbage collection (memory reclaimed per time)

Efficiency Continued

• Comparison:

$$\begin{split} t_{copy} &= aR & t_{MS} = bR + cM \\ m_{copy} &= \frac{M}{2} - R & m_{MS} = M - R \\ e_{copy} &= \frac{M}{2aR} - \frac{1}{a} = \frac{1}{2ar} - \frac{1}{a} & \text{Sinder} \\ e_{MS} &= \frac{M - R}{bR + cM} = \frac{1 - r}{br + c} & \text{Assume} \\ \end{split}$$

Since r < 1, copy collection better for small r

As r increases, mark sweep becomes more efficient (as r approaches M/2)

Garbage Collection Today

- Many newer, complex algorithms proposed
- Active area of research
 - Incremental garbage collectors
 - Efficient garbage collectors (e.g., no recursion)
 - Generational garbage collectors
 - Separate objects that are in a young/old generation; older are more likely to survive, so might only scan younger generations, condemn older generations less frequently
- Hard to judge algorithm in isolation
 - Often must consider hardware considerations such as paging, virtual memory